

- (1) To compute  $p = P(\chi^2 > a)$  with  $\nu$  degrees of freedom, use

$$1 - \text{pchisq}(a, \text{df} = \nu) \text{ or } \text{pchisq}(a, \text{df} = \nu, \text{lower.tail} = \text{FALSE})$$

- (2) To compute  $\chi^2_{\alpha, \text{df} = \nu}$ , use

$$\text{qchisq}(1 - \alpha, \text{df} = \nu) \text{ or } \text{qchisq}(\alpha, \text{df} = \nu, \text{lower.tail} = \text{FALSE})$$

- (3) Let  $Z$  be a standard normal variable. To compute,  $P(Z \geq a)$ , use

$$1 - \text{pnorm}(a, \text{mean} = 0, \text{sd} = 1) \text{ or } \text{pnorm}(a, \text{mean} = 0, \text{sd} = 1, \text{lower.tail} = \text{FALSE})$$

- (4) Let  $Z$  be a standard normal variable. To compute,  $P(Z \leq a)$ , use

$$\text{pnorm}(a, \text{mean} = 0, \text{sd} = 1) \text{ or } \text{pnorm}(a, \text{mean} = 0, \text{sd} = 1, \text{lower.tail} = \text{TRUE})$$

- (5) Let  $Z$  be a standard normal variable. To compute,  $P(Z \leq a) = p$ , where  $p$  is given, use

$$\text{qnorm}(p, \text{mean} = 0, \text{sd} = 1) \text{ or } \text{qnorm}(p, \text{mean} = 0, \text{sd} = 1, \text{lower.tail} = \text{TRUE})$$

- (6) Let  $Z$  be a standard normal variable. To compute,  $P(Z \geq a) = p$ , where  $p$  is given, use

$$-\left(\text{qnorm}(p, \text{mean} = 0, \text{sd} = 1)\right) \text{ or } \text{qnorm}(p, \text{mean} = 0, \text{sd} = 1, \text{lower.tail} = \text{FALSE})$$

- (7)  $\theta$  has a gamma distribution with parameters  $\alpha$  and  $\beta$ . To compute  $P(\theta \geq a) = p$ , use

$$\text{qgamma}(1 - p, \alpha, 1/\beta)$$

- (8)  $\theta$  has a gamma distribution with parameters  $\alpha$  and  $\beta$ . To compute  $P(\theta \leq a) = p$ , use

$$\text{qgamma}(p, \alpha, 1/\beta)$$

- (9) Let  $Y$  be a beta-distributed random variable with parameters  $\alpha$  and  $\beta$ . To compute  $P(Y \leq y_0)$ , use

$$\text{pbeta}(y_0, \alpha, 1/\beta)$$

- (10) Let  $Y$  be a beta-distributed random variable with parameters  $\alpha$  and  $\beta$ . To compute the  $p$ th quantile  $a$ , that is, to find the value of  $a$  such that  $P(Y \leq a) = p$ , use

$$\text{qbeta}(p, \alpha, 1/\beta)$$

- (11) How to find and a 95% Bayesian credible interval for the difference in proportions?

```
> num.samp = 1000
> p1 = rbeta(num.samp, enter the  $\alpha$  value, enter the  $\beta$  value) # sample from science
> p2 = rbeta(num.samp, enter the  $\alpha$  value, enter the  $\beta$  value) # sample from humanities
> quantile(p1 - p2, c(0.025, 0.975)) #95% CI for difference in proportions
```

- (12) How to find a 95% CI for the odds ratio based on your posterior distribution.

```
> or < - (p1/(1 - p1))/(p2/(1 - p2)) # find odds ratio for each sample
> quantile(or, c(0.025, 0.975)) # gives 95% credible interval for or
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- (13) How to find the posterior probability that one group is more likely to take a statistics course than a humanities major?

```
> mean(p1 > p2) # approx. posterior  $P(p1 > p2)$ , (science > humanities)
```